

Image Processing for Digital Cameras

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Outline

1. The digital still camera (DSC) market
2. Anatomy of DSC - a signal processing view
3. Image pipeline in a DSC
 - o cleaning up the acquisition
 - o color interpolation
 - o color correction
 - o display compensation
 - o compression
4. Frontier areas - research topics
5. Conclusions

Digital still cameras



www.dpreview.com

Typical features (\$300-\$1,000)

- o 3-5 Million pixels (megapixels), i.e, 2588x1954
- o Flash memory storage (CF, SD, MS)
- o Video clip capture (MPEG, Quicktime)
- o LCD preview

Large and growing market

- o 14M units (2003)
- o digital > film (unit vol) in 2008

Embedded DSCs



Cellphone cameras appeal to

- o phone makers
- o wireless operators
- o most new designs

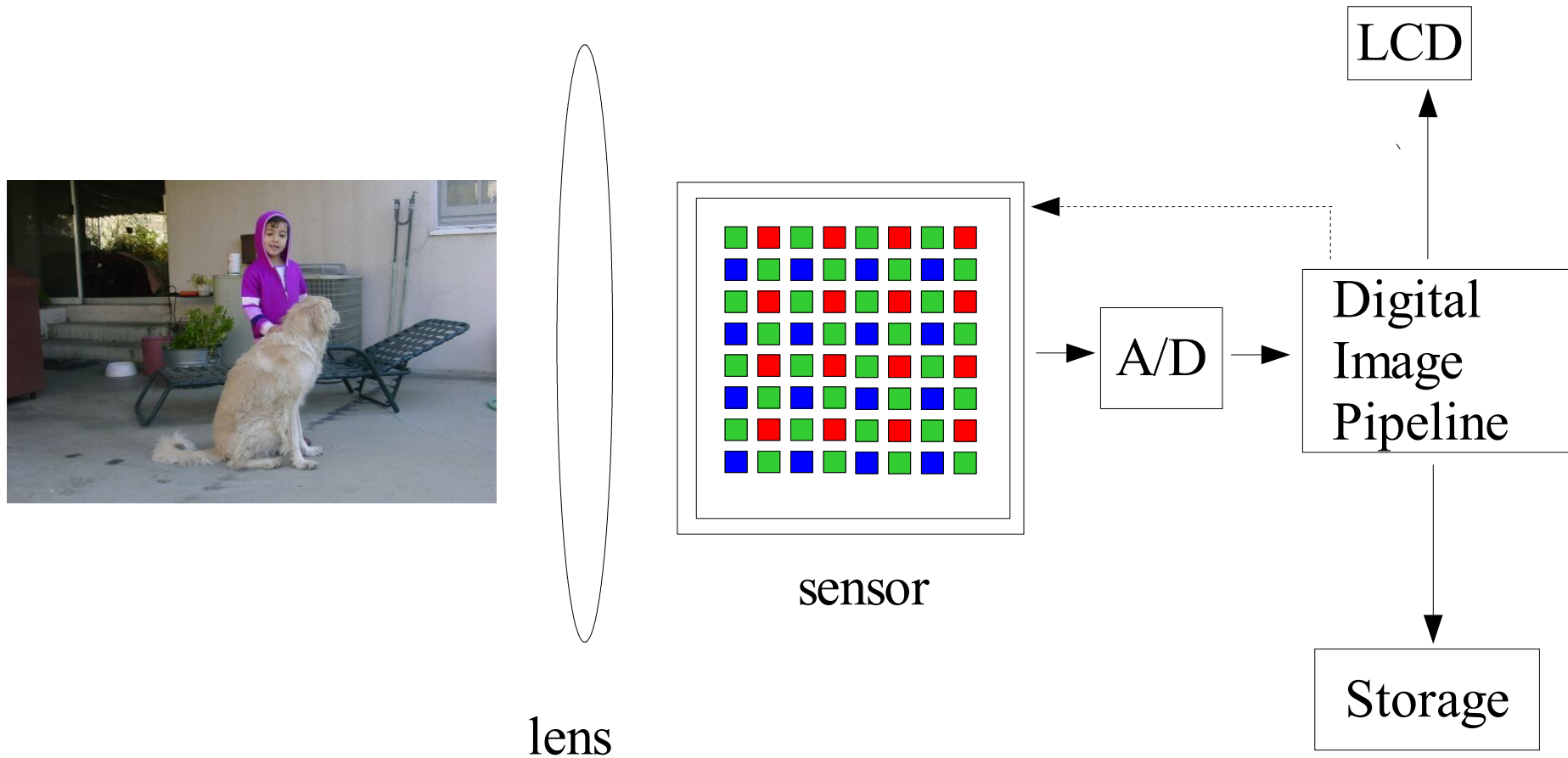


What are their uses?

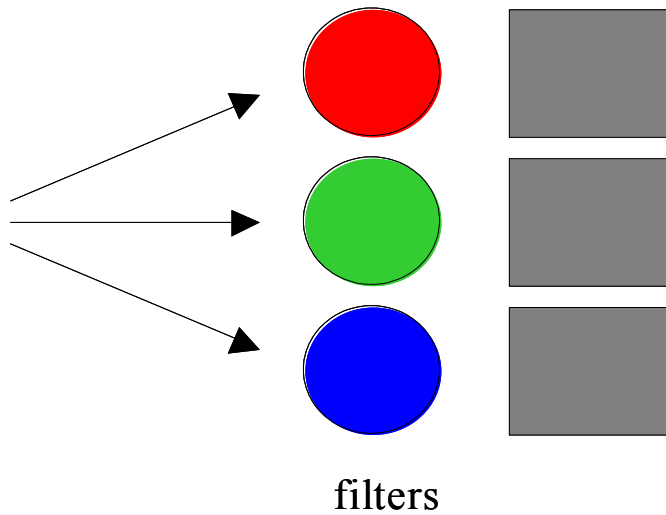
- o journalism
- o "always-with-you" camera
- o security

Webcams: a lesson

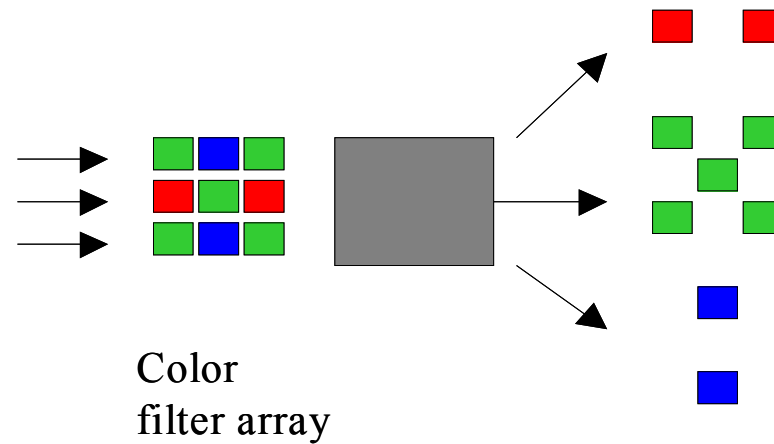
"Anatomy" of digital still camera



Sensor layout



Three sensors:
Expensive, bulky

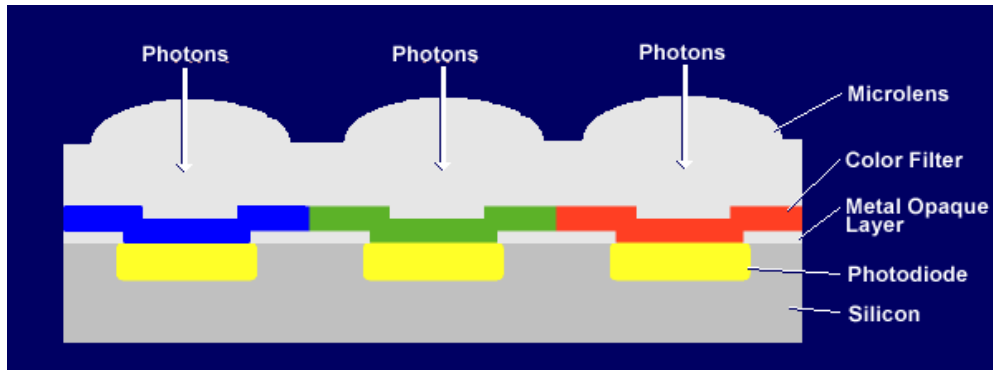


One sensor:
Requires interpolation

Sensor layout variations

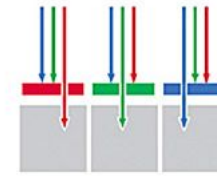
microlenses

3 color pixels

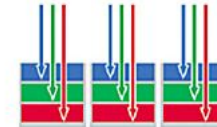


micron.com/products/imaging/technology/pixel.html

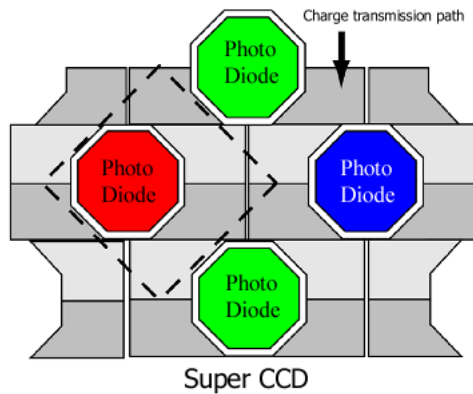
Mosaic Capture



Foveon® X3 Capture

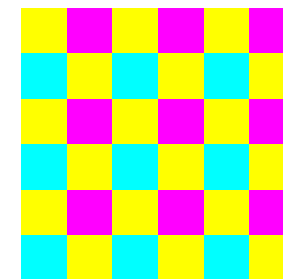


www.x3f.info



Hexagonal mosaic

home.fujifilm.com



CMY

www.dpreview.com

Digital camera image pipeline

Processing stages after A/D

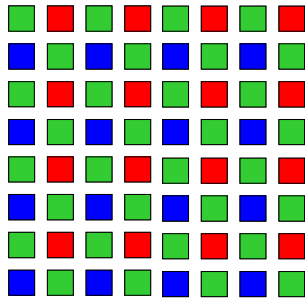
- a) Photo-response non-uniformity (PRNU)
- b) White balance
- c) Color interpolation
- d) Enhancements: sharpen, noise-clean
- e) Color correction
- f) Tone mapping

Response correction

- Illumination variation : \cos^4
 - off-axis illumination reduced by $\cos(\theta)^4$
 - removable by calibration, spatial gain
- Bad pixel correction
 - “Stuck-on”, “stuck-off” pixels
 - “hot” pixels visible in low-light/long exposure

Bad pixel removal

- Simple: thresholding, median filtering
- Sequential analysis (Tan & Acharya, ICASSP '99)



Algorithm

a) Calculate in neighborhood

$$S = \min |X - X_n|$$

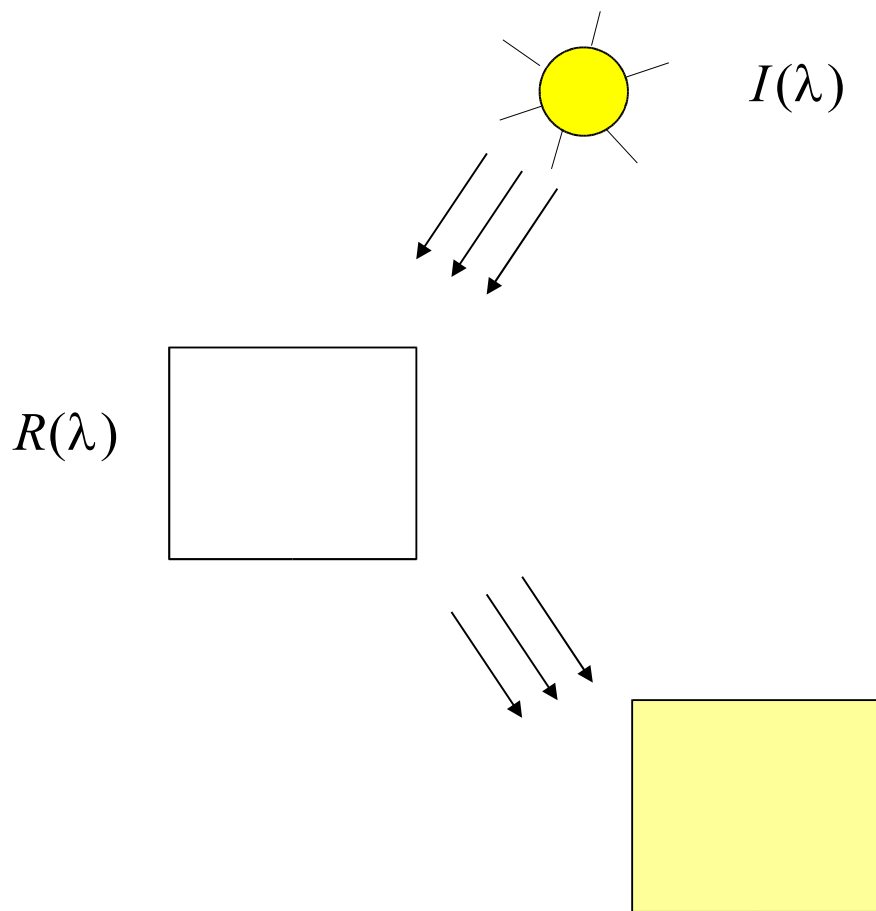
b) if $S > T$ consistently \implies
bad pixel

Bad pixel correction

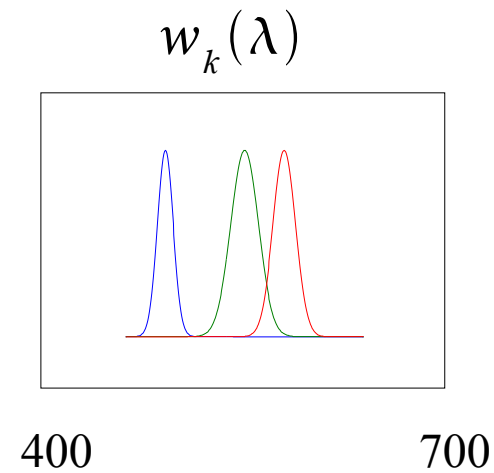


www.mediachance.com/dce/

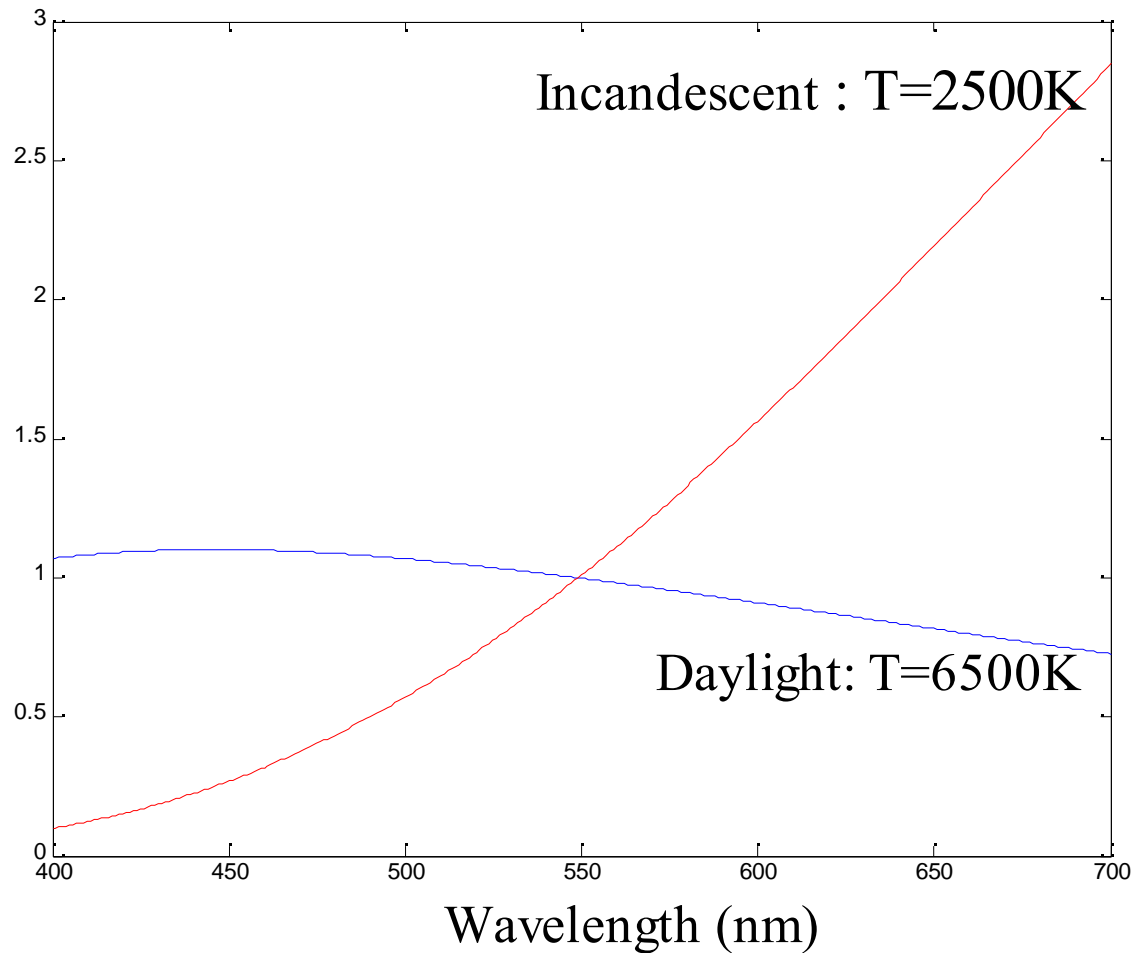
Color imaging



$$s_k = \int I(\lambda) R(\lambda) w_k(\lambda) d\lambda,$$
$$k = 1, 2, 3$$



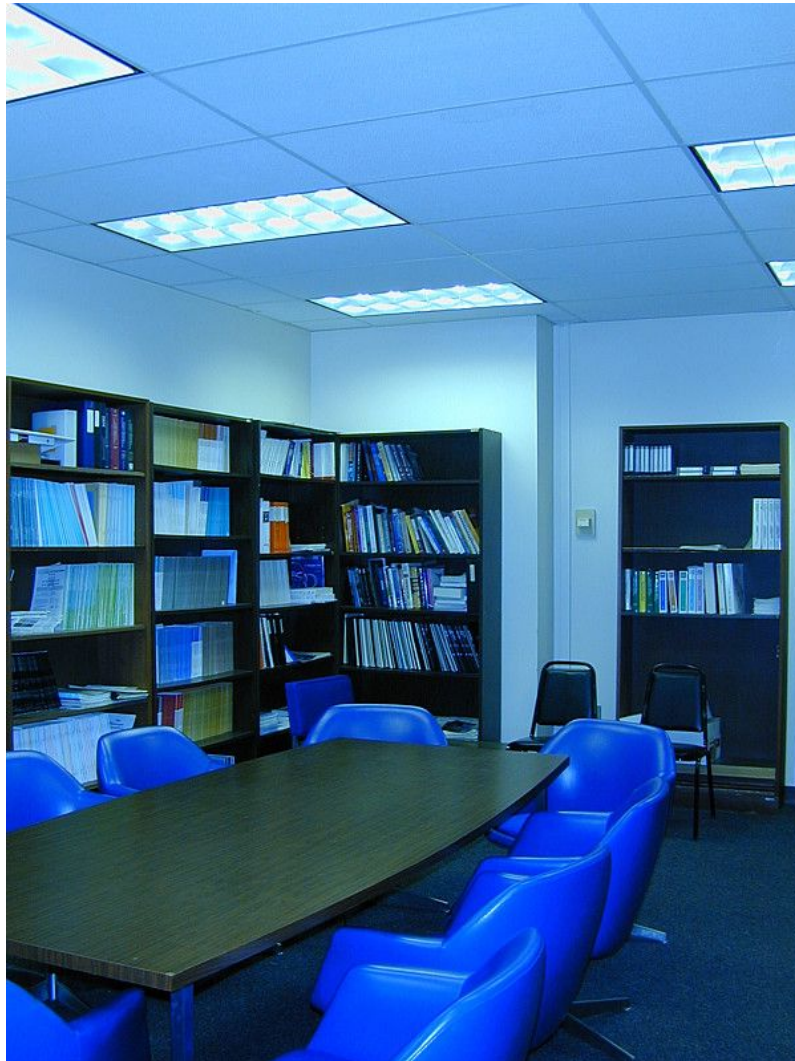
Color temperature



$$I_B(\lambda) = \frac{c_1}{\lambda^5} * \left[\exp\left(\frac{c_2}{\lambda * T}\right) - 1 \right]^{-1}$$

White balance

Camera set for incandescent

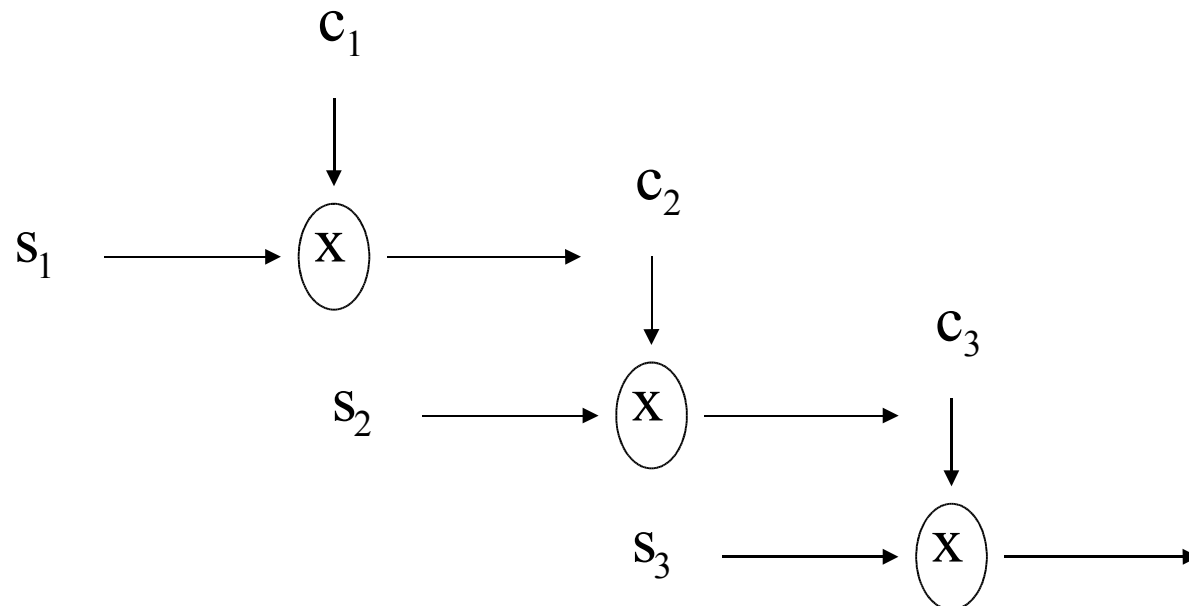


flourescent



White balancing

Choose gains c_1 , c_2 , c_3 to compensate for illuminant



Auto white balance

Many algorithms:

- Gray world: mean R, G, B values should be equal
- Correlation method (Tomimaga-Wandell)

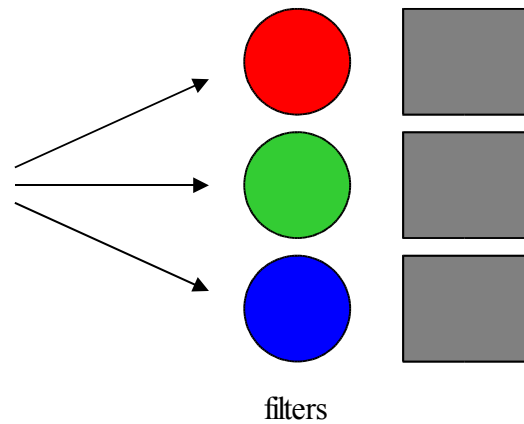
Convex hull of R,B values matched to gamut of illuminant color temperature.

Real-world problems

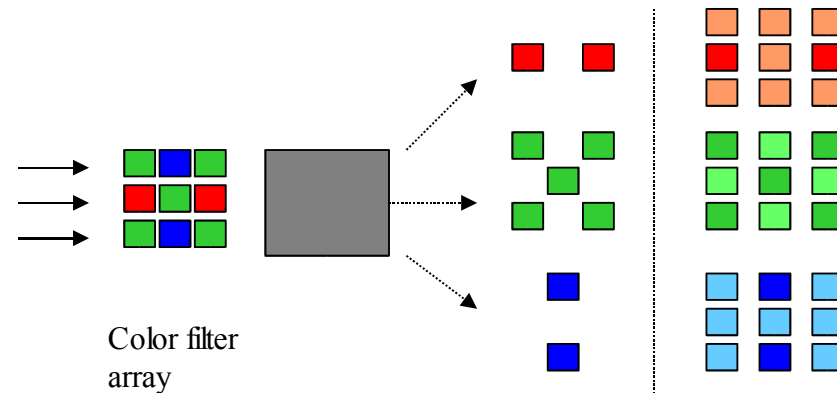
- Large uniform patches of color
- Multiple illuminants
- Non standard bulbs

Demosaicking

- Color from monochromatic sensors: two methods



Three sensors:
Expensive, bulky



One sensor:
Requires interpolation

"Demosaiced" color
image

Research topics:

- interpolation algorithms
- color filter array patterns

Demosaicking

Original



What the sensor sees: mosaiced image

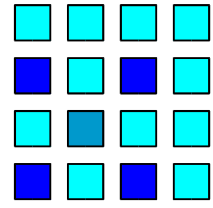
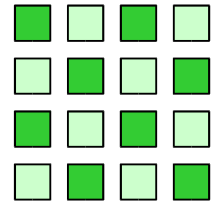
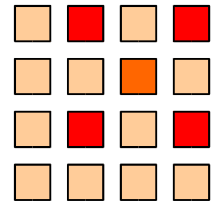
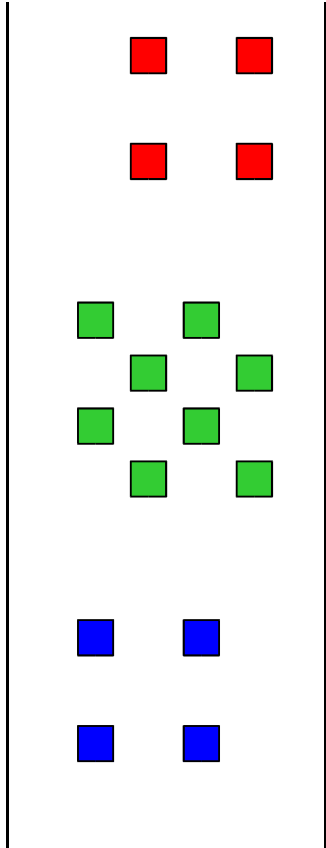
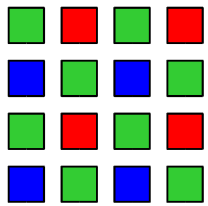


Demosaiced image: note color aliasing

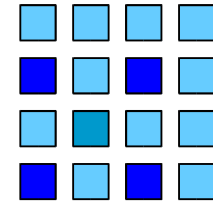
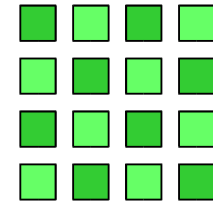
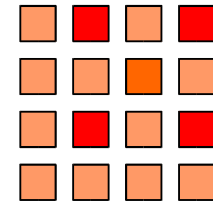


Bilinear interpolation

Demosaicking algorithms



Simple (bilinear or nearest neighbour) interpolation



Estimate high frequencies and incorporate

Method:
G=B-Bav+Gav

original



PVM (Kakarala-Baharav)

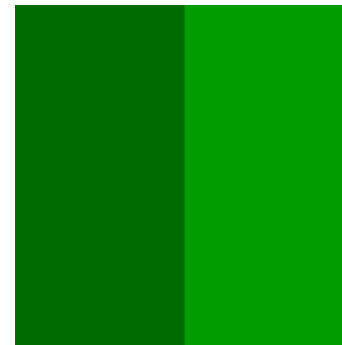


Hamilton-Adams (Kodak)

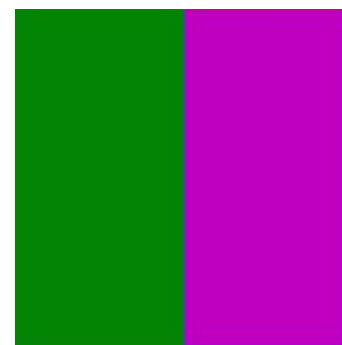


Idea: detect edges in color

- Edges: locations of sharp changes--they occur in luminance & chrominance
- Always interpolate along edges, rather than across them



Luminance edge



Chrominance edge
(isoluminant)

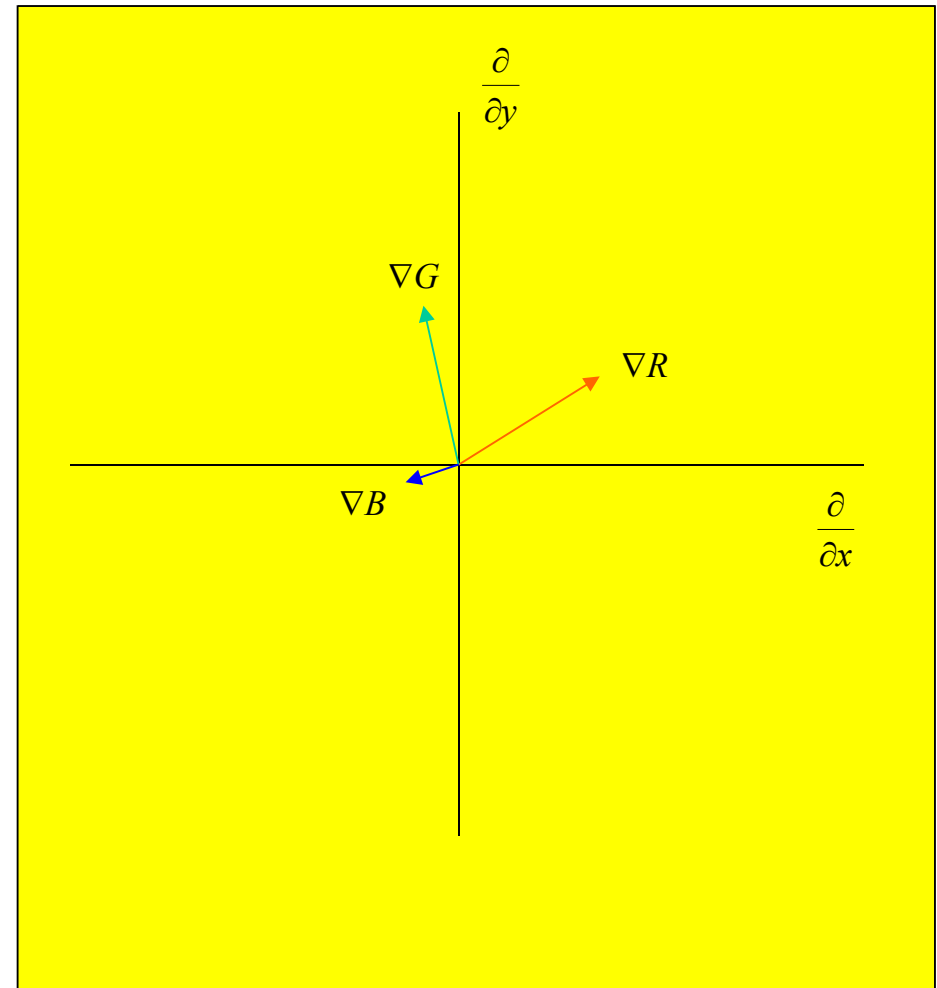
Detecting color edges

- In monochrome images, use gradient

$$\nabla I = \begin{bmatrix} \frac{\partial I}{\partial x} \\ \frac{\partial I}{\partial y} \end{bmatrix} \quad \|\nabla I\| > T \Rightarrow \text{edge}$$

- In color images, 3 gradients

$$\nabla R \quad \nabla G \quad \nabla B$$



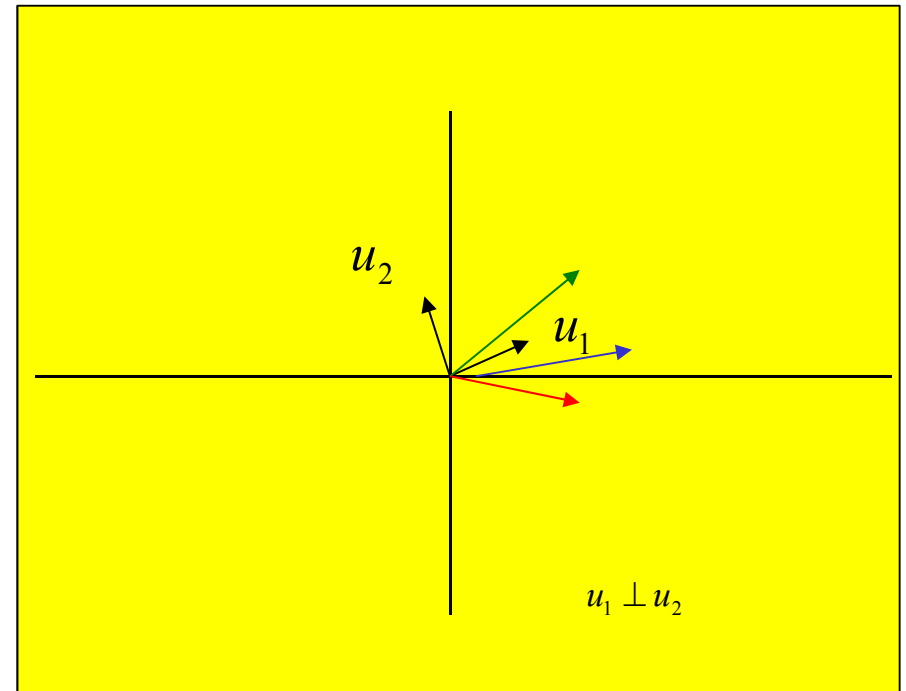
Interpreting color gradients

- Form Jacobian

$$J = \begin{bmatrix} \frac{\partial R}{\partial x} & \frac{\partial G}{\partial x} & \frac{\partial B}{\partial x} \\ \frac{\partial R}{\partial y} & \frac{\partial G}{\partial y} & \frac{\partial B}{\partial y} \end{bmatrix} = [\nabla R \quad \nabla G \quad \nabla B]$$

- SVD of Jacobian

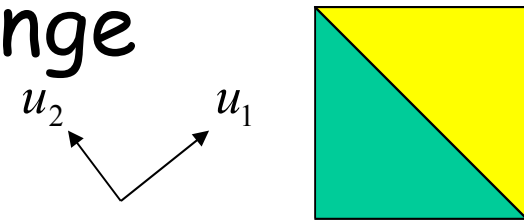
$$J = USV^t = \sigma_1 u_1 v_1^t + \sigma_2 u_2 v_2^t \approx \sigma_1 u_1 v_1^t$$



- U_1 = principal vector; U_2 = residual vector

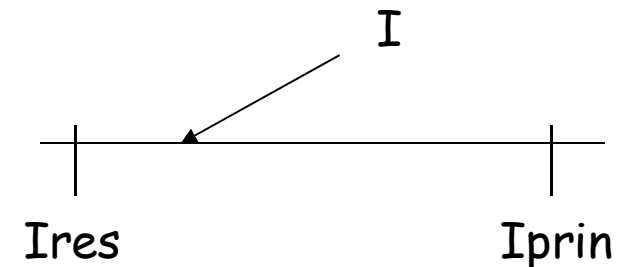
Principal & residual vectors

- Principal vector \rightarrow steepest change;
residual vector \rightarrow least change



- Interpolate along both vectors + add

$$I = \frac{\sigma_1}{\sigma_1 + \sigma_2} I_{res} + \frac{\sigma_2}{\sigma_1 + \sigma_2} I_{prin}$$



- Interpolation along residual, principal vectors not usually possible
 - replace with horizontal, vertical interpolation
- Scheme requires SVD
 - develop simple approximations

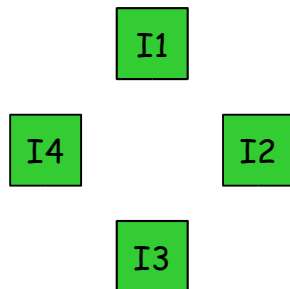
Simple interpolation

- Add horizontal & vertical interpolants

$$I = \lambda I_{res} + (1 - \lambda) I_{prin} \quad \left| \quad \begin{aligned} I_{horiz} &= \frac{(I_2 + I_4)}{2} \\ I_{vert} &= \frac{(I_1 + I_3)}{2} \end{aligned} \right.$$

$$\Updownarrow$$

$$I = \alpha I_{horiz} + (1 - \alpha) I_{vert}$$



Choose α based on principal vector

Simple interpolation (cont'd)

- Interpolation rule

$$I = \alpha I_{horiz} + (1 - \alpha) I_{vert}$$

- Quantize so that $\alpha \in \left\{0, 1, \frac{1}{2}\right\}$

Choosing quantized weight

Form Jacobian

$$J = \begin{bmatrix} \frac{\partial R}{\partial x} & \frac{\partial G}{\partial x} & \frac{\partial B}{\partial x} \\ \frac{\partial R}{\partial y} & \frac{\partial G}{\partial y} & \frac{\partial B}{\partial y} \end{bmatrix} = [\nabla R \quad \nabla G \quad \nabla B]$$

Count # of times

$$|\partial y| > |\partial x|$$

Assignment: if (0) or (1)

$$\alpha = 0 \quad (\text{vertical})$$

if (2) or (3)

$$\alpha = 1 \quad (\text{horiz})$$

} "Majority Rule"

Additional case

- Add components of Jacobian

$$\|J\| = \|\nabla R\| + \|\nabla G\| + \|\nabla B\|$$

- **If** $\|J\| < T \Rightarrow \alpha = \frac{1}{2}$ (average horiz. and vertical)
else use previous rule to set $\alpha \in \{0,1\}$

Why majority rule?

- Good predictor of principal vector

$$J = USV^t = \sigma_1 u_1 v_1^t + \sigma_2 u_2 v_2^t \approx \sigma_1 u_1 v_1^t$$

majority $|dy| > |dx| \rightarrow |u_1(2)| > |u_1(1)|?$

accurate 91 % of time (1000 trials)

Why majority rule? (cont'd)

- Allows mix of 1st and 2nd derivatives

$$\tilde{J} = \begin{bmatrix} \frac{\partial^n R}{\partial x^n} & \frac{\partial G}{\partial x} & \frac{\partial^m B}{\partial x^m} \\ \frac{\partial^n R}{\partial y^n} & \frac{\partial G}{\partial y} & \frac{\partial^m B}{\partial y^m} \end{bmatrix}; n, m = 1, 2$$

- majority $|dy^n| > |dx^n|$
- both 1st and 2nd derivs can be estimated in some locations, e.g.,

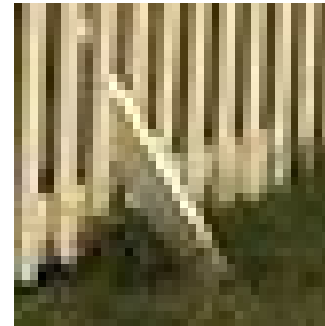
$$dx = I2 - I0; \quad dx^2 = 2I1 - I2 - I0$$



PVM



Hamilton-Adams (kodak)



Noise cleaning

Many algorithms:

1) Sigma filtering (J. S. Lee, 1982)

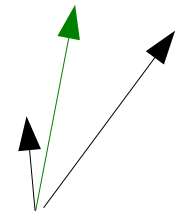
$$X = \text{mean}\{X_i: |X_i - X_c| < \sigma\}$$

2) Global and local σ estimates (Kodak patents)

3) Vector median of a set: smallest total distance

$$VM = \underset{w}{\operatorname{argmin}} \left\{ X_w : \sum_{k=1}^9 \|X_k - X_w\| \right\}$$

$$\begin{array}{ccc} X_1 & X_2 & X_3 \\ X_4 & X_c & X_6 \\ X_7 & X_8 & X_9 \end{array}$$



After market noise cleaners





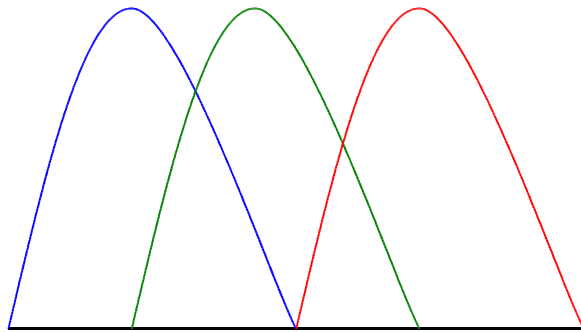
www.michaelmond.com/Articles/noise



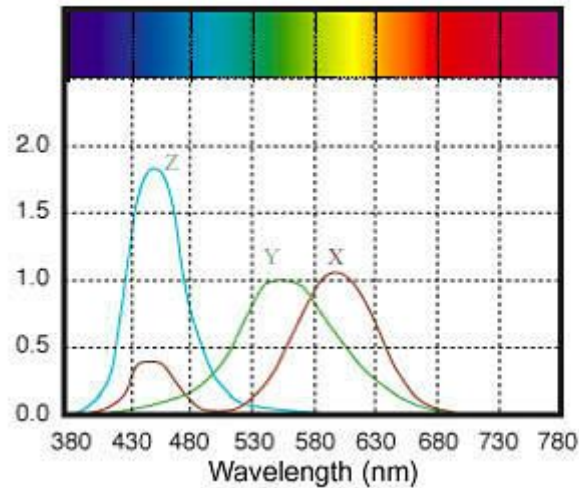
www.michaelmond.com/Articles/noise

Color correction

Sensor response



CIE XYZ
(device independent)



sRGB
(display)

$$\begin{bmatrix} R_{sRGB} \\ G_{sRGB} \\ B_{sRGB} \end{bmatrix} = \begin{bmatrix} 3.2410 & -1.5374 & -0.4986 \\ -0.9692 & 1.8760 & 0.0416 \\ 0.0556 & -0.2040 & 1.0570 \end{bmatrix} \begin{bmatrix} X \\ Y \\ Z \end{bmatrix}$$

<http://www.creativepro.com/story/feature/13036-2.html>

Color correction: Sensor to XYZ

“Maximum ignorance” method

$$\text{Solve: } W = ST \rightarrow T = \text{pinv}(S)W$$

$W = n \times 3$ XYZ responses

$S = n \times 3$ sensor RGB responses

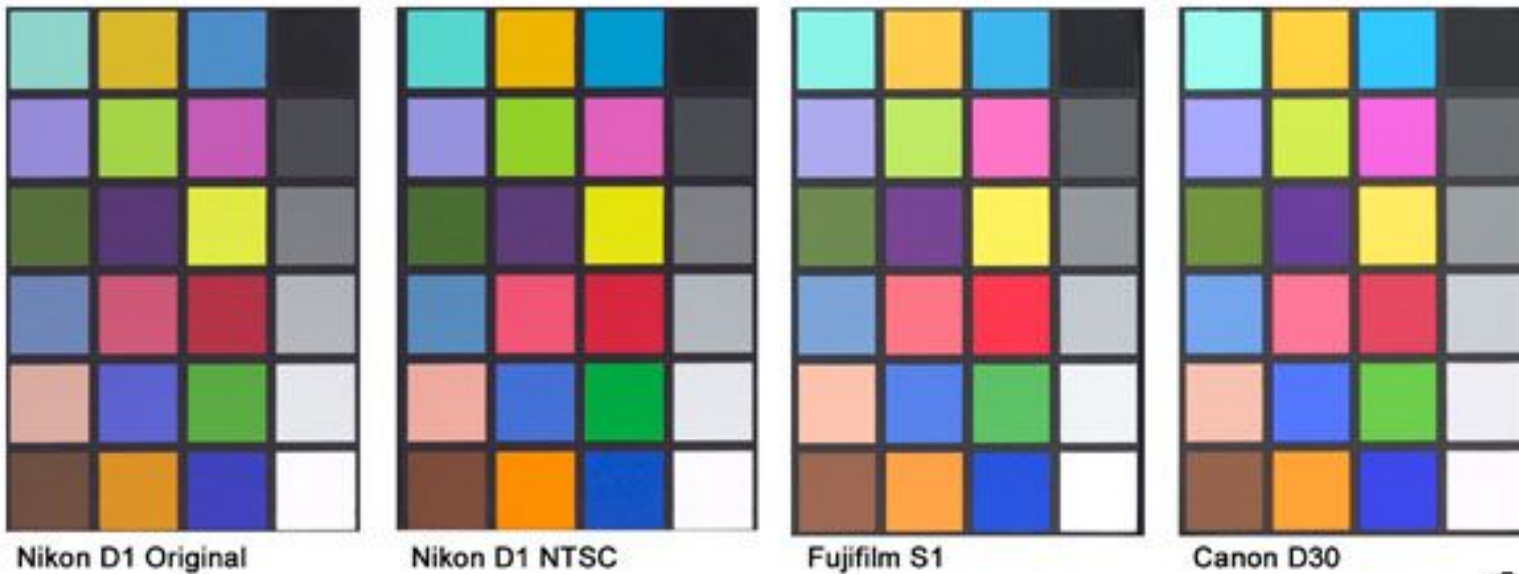
$T = 3 \times 3$ transformation matrix

Surface based (Vrhel-Trussell)

Bayesian (Brainard-Freeman)

White-point preserving (Finlayson-Drew)

A comparison of 3 consumer digital cameras

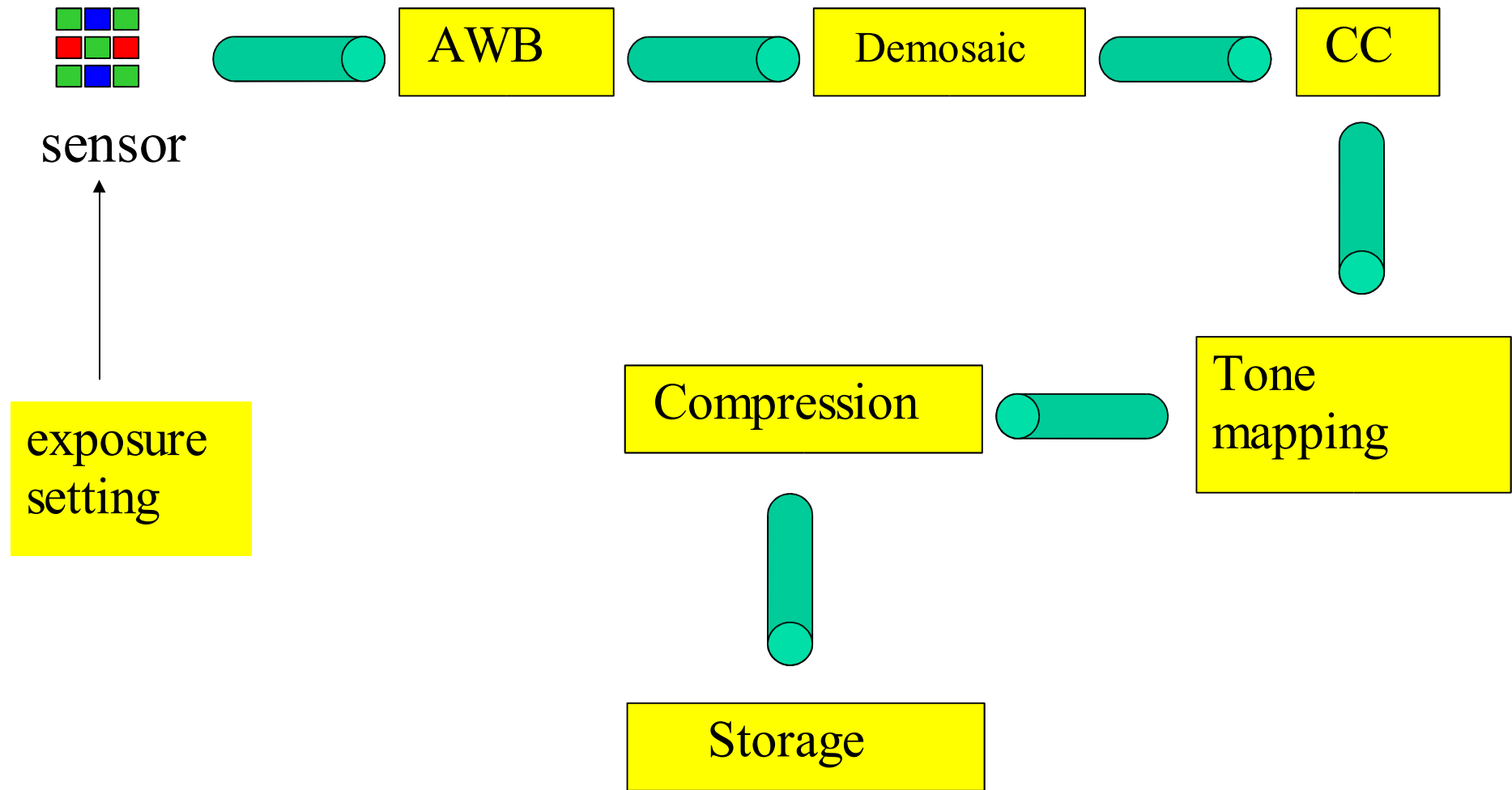


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<http://www.imaging-resource.com/PRODS/D30/3TPICS1.HTM>

A Digital Camera Image Pipeline



Tone mapping

Gamma correction

Display response

$$y = x^\gamma$$

Compensation

$$x = s^{1/\gamma}$$

Typical value $\gamma = 2.2$

Tone mapping: best use of display dynamic range

Ex: Nikon D1 has 12 bits/pixel ---> Display is 8 bits.

Tone mapping methods

Simple: Histogram equalization

Others: Adaptive logarithmic (Drago, et al 2003)

display $L_d \leftarrow L_w$ world

$$L_d = \frac{0.01 * L_{dmax}}{\log_{10}(L_{wmax} + 1)} \frac{\ln(L_w + 1)}{\ln(2 + 8 \left(\frac{L_w}{L_{wmax}}\right)^{\frac{\ln(b)}{\ln(0.5)}})}$$

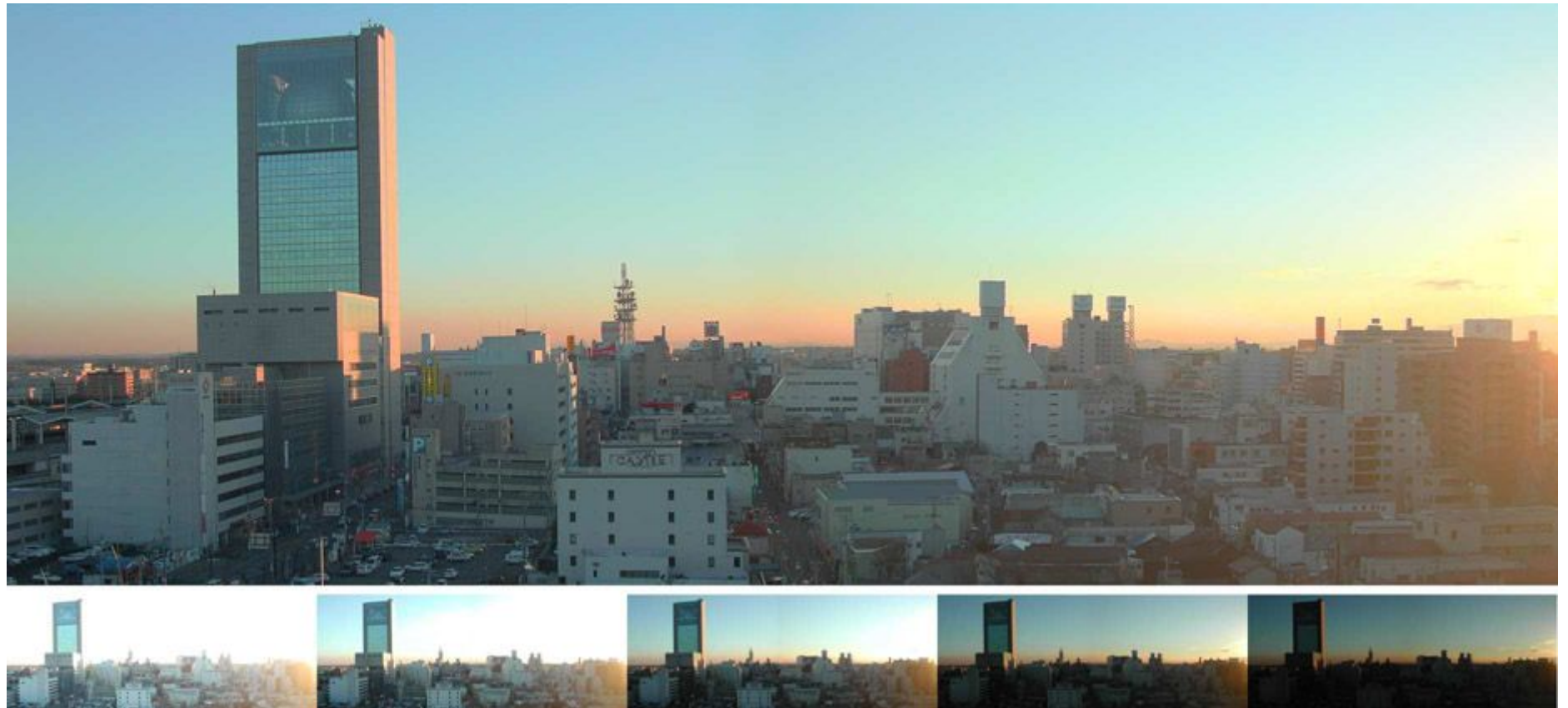


before tone map



after tone map

Fusion of multiple exposure images (Drago et al)



"Frontier" Areas

More stages in pipeline

Image fusion (focus and exposure)

Optical distortion removal (narrower cameras)

Host vs embedded implementation

A standard pipeline?